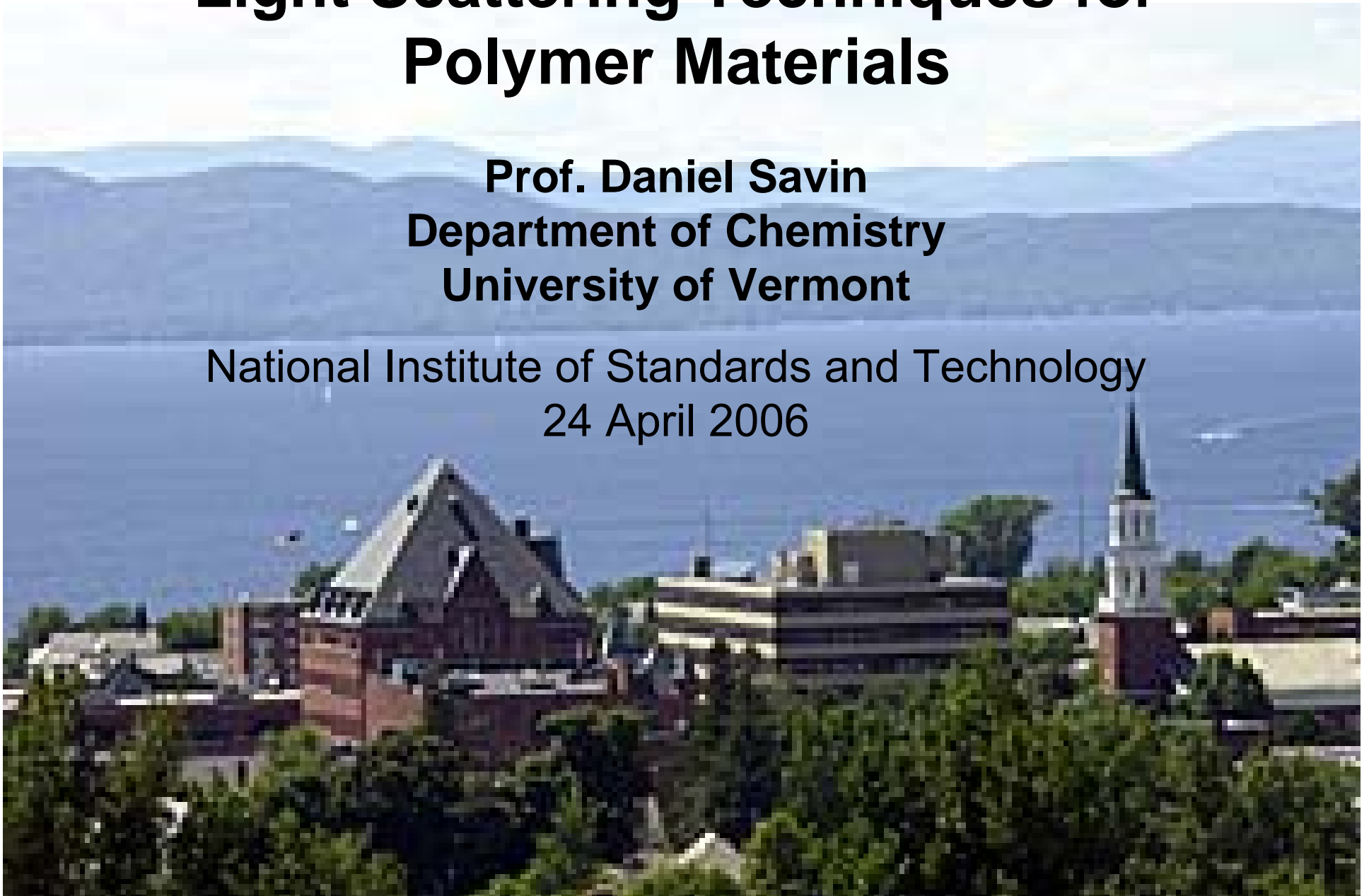


# **Light Scattering Techniques for Polymer Materials**

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Department of Chemistry  
University of Vermont**

National Institute of Standards and Technology  
24 April 2006

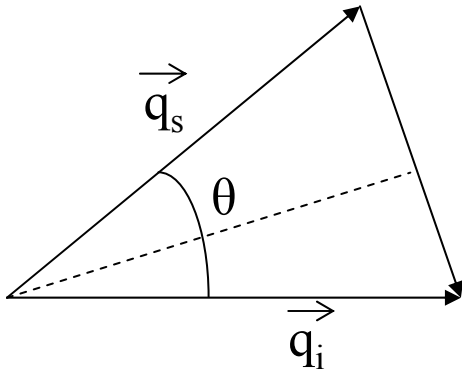
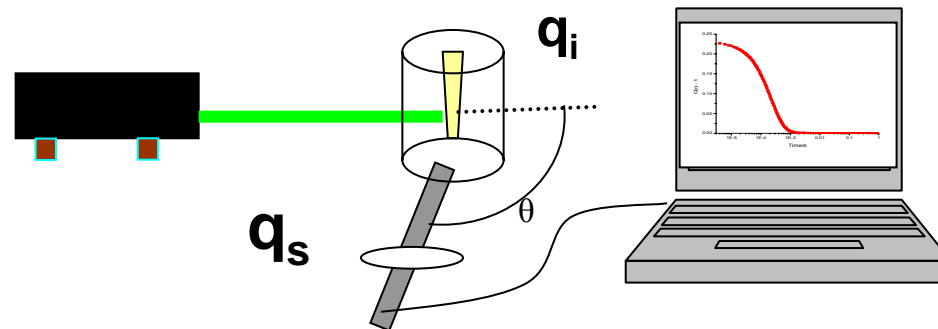


# Overview

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- Brief description of light scattering formalism and experiments
- Applications to the solution behavior of responsive block copolymer assemblies

# Experimental Setup



Scattering vector:

$$\mathbf{q} = \mathbf{q}_s - \mathbf{q}_i$$

$$q = |\mathbf{q}| = \frac{4\pi n}{\lambda} \sin\left(\frac{\theta}{2}\right)$$

**Light is scattered by local  
fluctuations in the medium**

# Considerations

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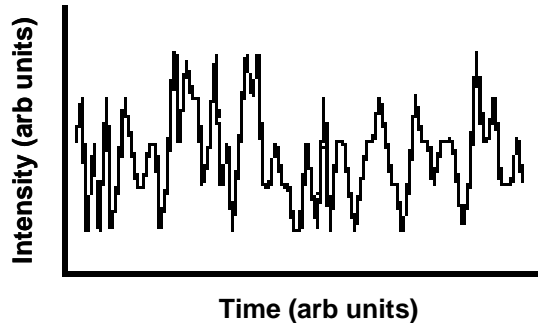
- Where do local fluctuations come from?
  - Density
  - Concentration
  - Osmotic pressure
  - Longitudinal (phonon propagation)
  - Orientation
- Timescale - dynamic vs. static
- Lengthscale relative to  $q$

# Dynamic Light Scattering

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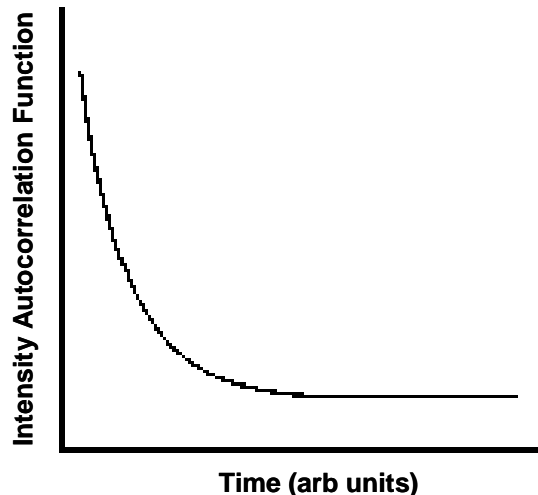
- Commonly used for particle sizing in dilute solution
- Key technique for the characterization of small-molecule and polymeric surfactants, as well as micelles that are responsive to solution conditions
- **Measure time dependence of the scattered intensity via an autocorrelation function**

# Correlation Functions



Intensity vs. time looks like noise.

If the time between samples is on the same time scale of the dynamics, then the intensities are **correlated**.



$$g^{(2)}(\tau) = \frac{\langle I(t+\tau)I(t) \rangle}{\langle I \rangle^2} = 1 + F(A) \left[ g^{(1)}(\tau) \right]^2$$

Contains dynamic information!

$$g^{(1)}(\tau) = e^{-\Gamma\tau} \quad \Gamma = D_M q^2$$

Berne and Pecora, Dynamic Light Scattering, 1976, Dover.

- For diffusion, the relaxation time is on the order of tenths of milliseconds

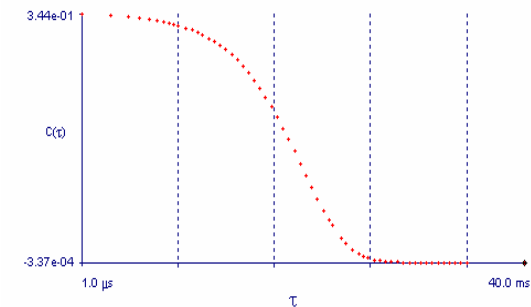
For diffusive motion:  
Plot  $\Gamma$  vs.  $q^2$ :  
Slope equal to  $D_m$

# Decay function analysis (I)

## Method of Cumulants:

Assume narrow, unimodal distribution:

$$g^{(1)}(\tau) = \sum_{i=1}^n G(\Gamma_i) \exp(-\Gamma_i \tau_i)$$



$$\ln g^{(1)}(\tau) = [\ln g^{(1)}(0)] - \langle \Gamma \rangle t + \frac{\mu_2}{2!} t^2 - \frac{\mu_3}{3!} t^3 + \frac{(\mu_4 + 3\mu_2^2)}{4!} t^4$$

$$\langle \Gamma \rangle = \langle D_M \rangle q^2$$

$$\langle D_m \rangle \approx \langle D_o \rangle = \frac{kT}{6\pi\eta \langle R_h \rangle}$$

$$pdi = \frac{\mu_2}{\langle \Gamma \rangle^2}$$

Normalized Variance

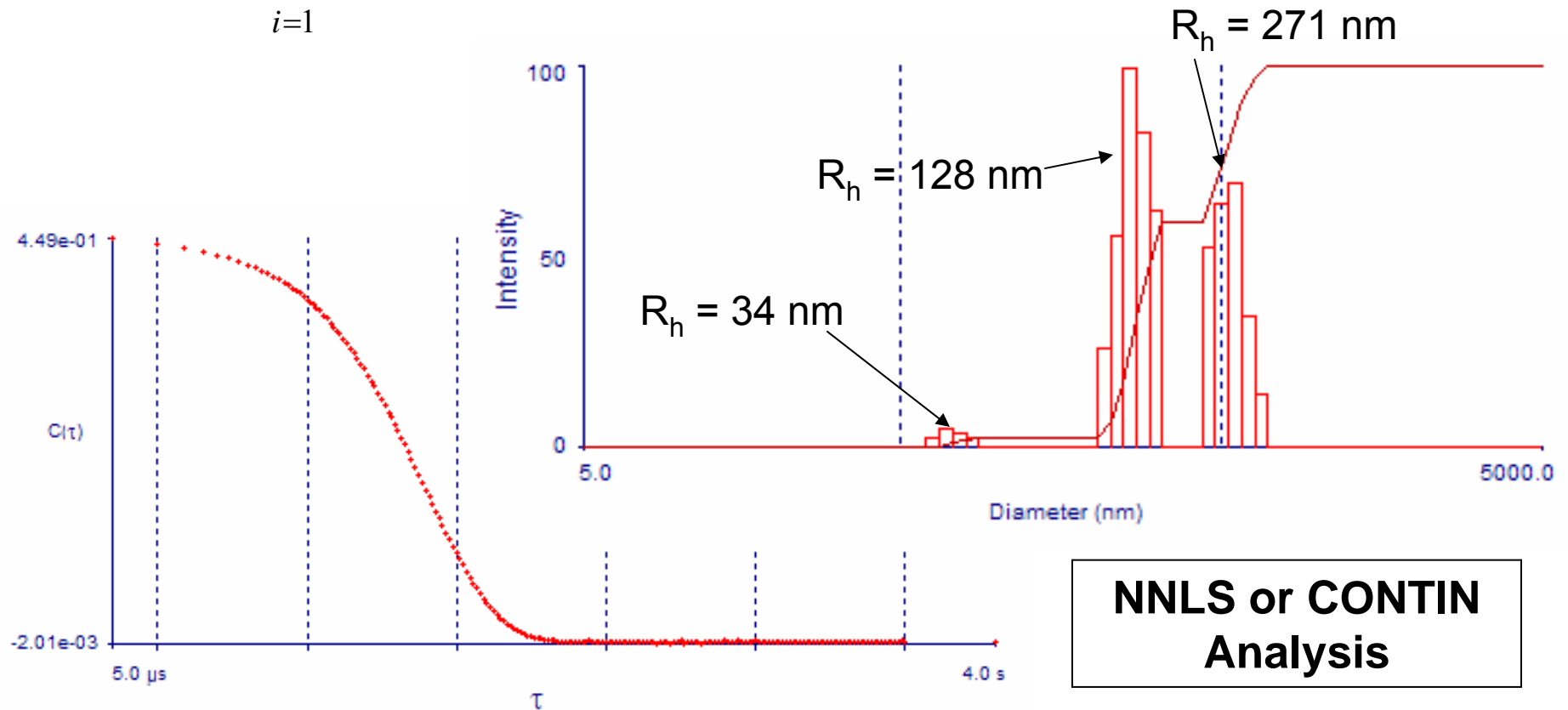
Want  $pdi < 0.3$

# Decay Function Analysis (II)

Model the decay as a distribution of relaxation rates

$$g^{(1)}(\tau) = \sum_{i=1}^n G(\Gamma_i) \exp(-\Gamma_i \tau_i)$$

PB-PEO vesicles





# Depolarized DLS

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- Measure the intensity of scattered light polarized perpendicularly to the incident light:

Now:

$$g^{(1)}(\tau) = e^{-(D_m q^2 + 6\theta)\tau}$$

and:

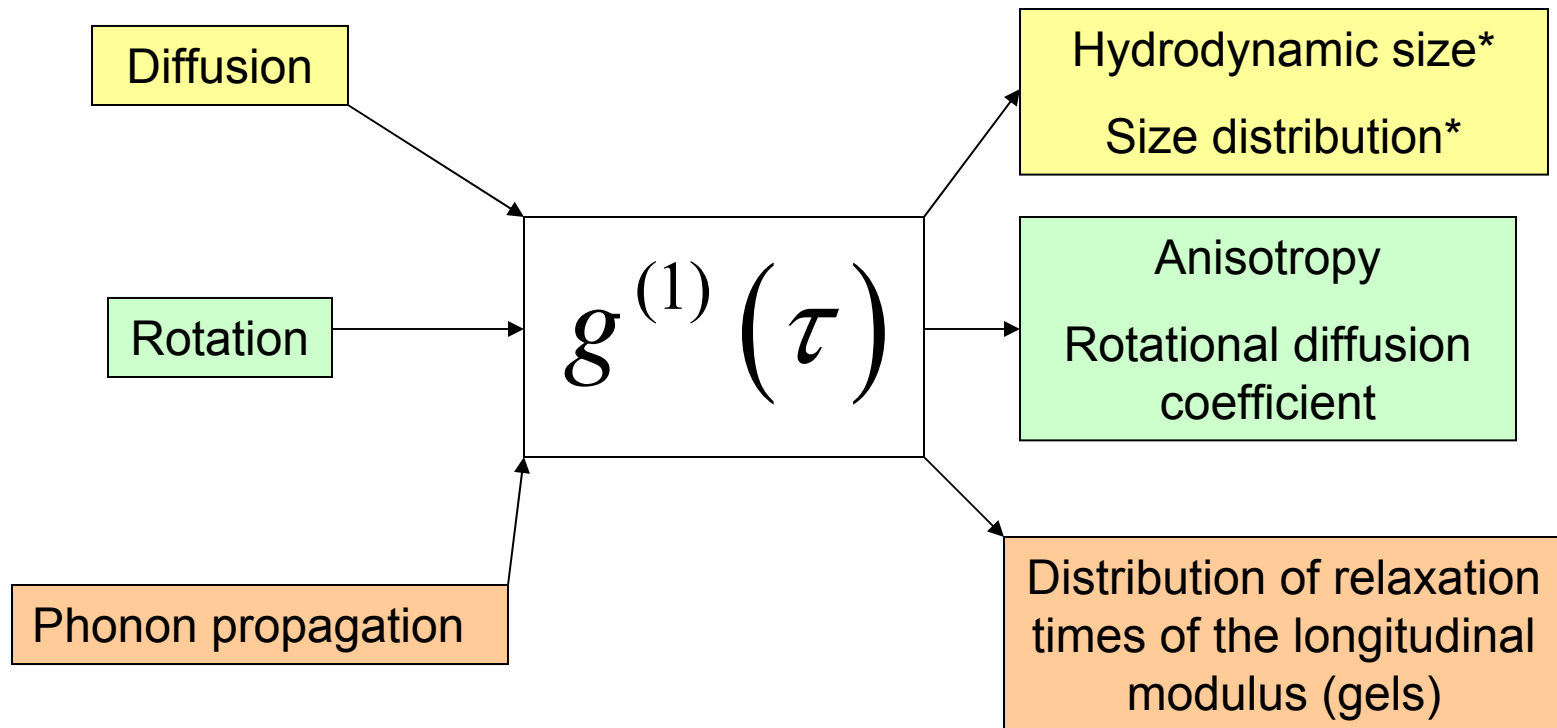
$$\theta = \frac{kT}{8\pi\eta R^3} \quad \text{Is the rotational diffusion coefficient.}$$

Note the stronger R dependence, but spherical molecules have zero depolarized intensity

By incorporating shape dependences into D and  $\theta$ , you can extract a size and axial ratio of the particle

# Relaxation Functions in DLS

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# Static Light Scattering

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- Measure the time averaged scattering intensity
- Osmotic fluctuations come about from solution thermodynamics
- Obtain information about weight averaged molecular weight, size, shape and solution thermodynamics
- **Applications:**  $M_w$  determination of homopolymers, CMC and aggregation number determination of micelles, shape analysis

# SLS Formalism

Based on the Zimm equation:

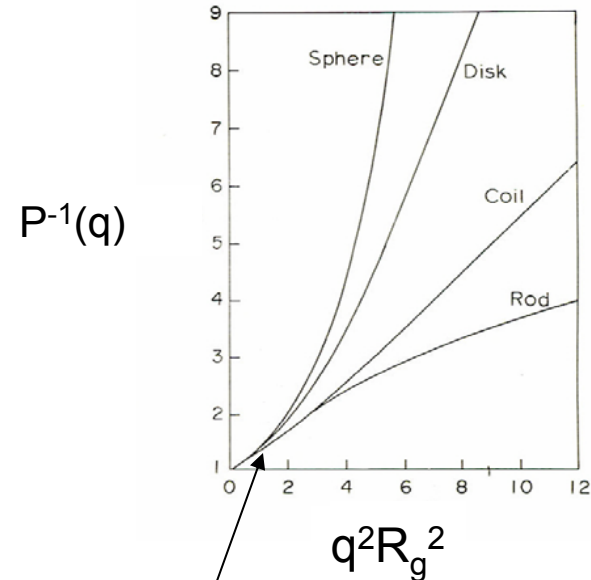
$$\frac{Kc}{R_\theta} = \frac{1}{M_w P(q)} + 2A_2 c + \dots$$

$$K = \frac{4\pi^2 n^2 (\partial n / \partial c)_0^2}{\lambda_0^4 N_A}$$

$$P(q) = \left[ \frac{3}{(qR)^3} (\sin qR - qR \cos qR) \right]^2$$

Form factor for sphere

$A_2$  is the second osmotic virial coefficient



$$P(q) = 1 - \frac{(qR_g)^2}{3} + \dots$$

For  $qR \ll 1$

# Small Angle Light Scattering

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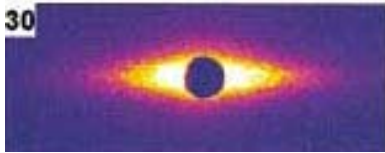
- SALS is another type of (depolarized) SLS experiment
- Similar formalism to SAXS/SANS
  - Fit intensity data to obtain  $P(q)$
  - Relate to distance distribution function
- **Since  $q$  range is much larger than SAXS/SANS, SALS works best for large ( $\sim 1\text{-}10\ \mu\text{m}$ ) particles**
- **Applications** – droplet formation, large vesicle characterization (ie: Norman *et al.*), phase separated polymers

# Rheo-SALS and Birefringence

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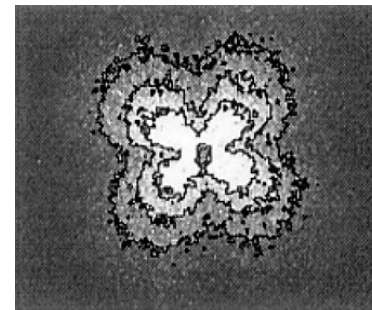
- Incorporating rheology (or flow birefringence) into the SALS experiment:

## Bicontinuous Microemulsions



The bright streak is caused by elongated structures aligned in the direction of the flow, above a critical shear stress

## Shear-induced vesicle formation from lamellar surfactant



Scattering is a result of concentration fluctuations that moderately couple to the flow

\* From Krishnan, *et al. Phys. Rev. Let.* 2001, 098301

\*\* From Schmidt, *et al. Rheol. Acta.* 1999, 486

In both experiments, the fluctuations are long ranged (on the order of microns)

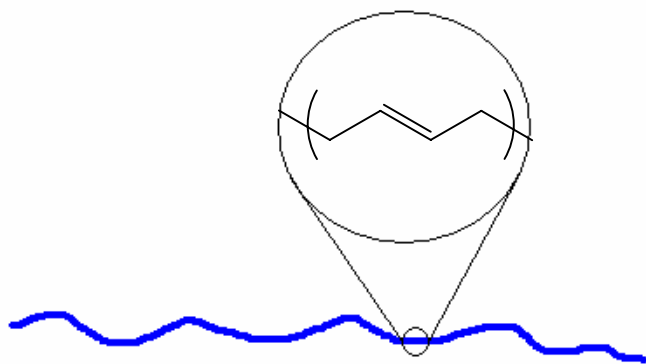
# Light Scattering in Practice

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- The Savin group is primarily interested in the solution characterization of pH and temperature-responsive block copolymer assemblies
- **Techniques include:**
  - DLS to determine  $R_h$
  - SLS (Kratky plots) to determine qualitative shape
  - Couple with TEM, rheology and other spectroscopic techniques

# Applications of Light Scattering to Block Copolymer Assembly

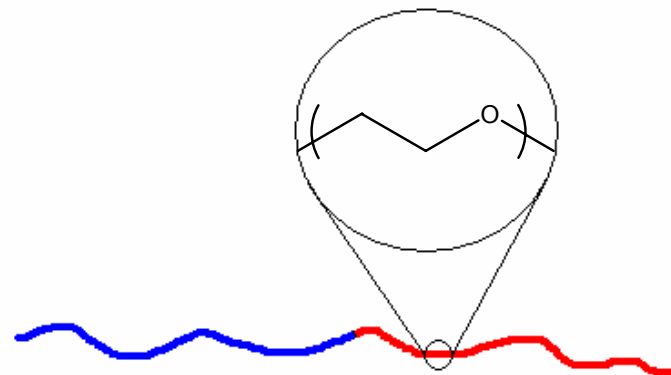
\$1B market for  
block copolymers



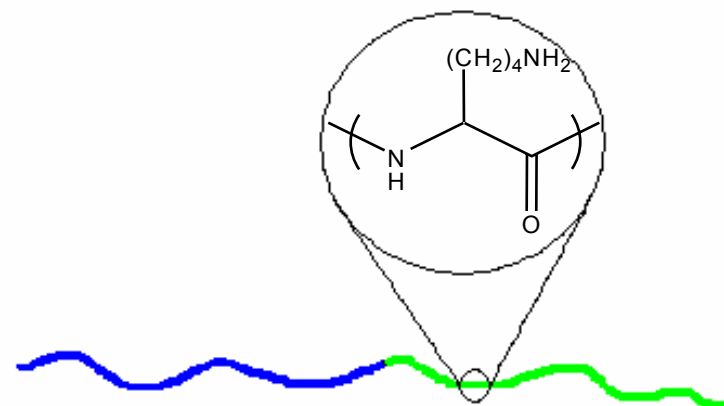
Poly(1,4 butadiene)  
homopolymer

What happens when the blocks are  
not thermodynamically compatible?

**Self-Assembly**



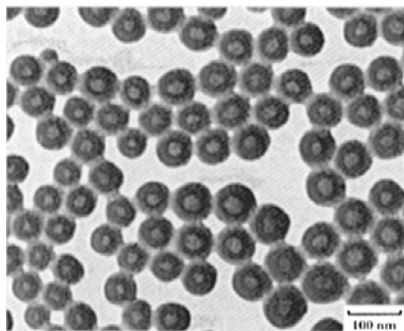
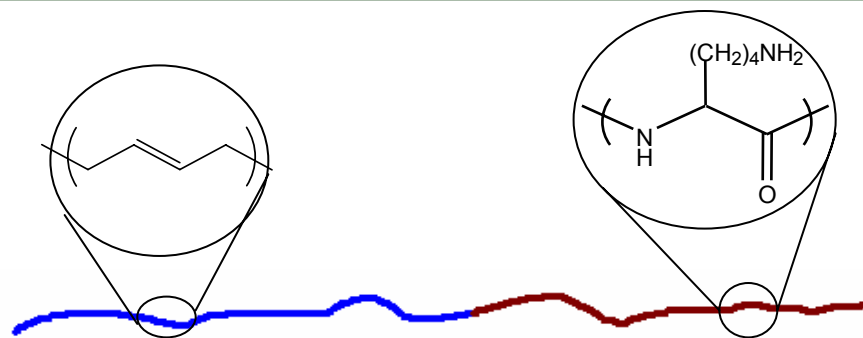
AB Diblock



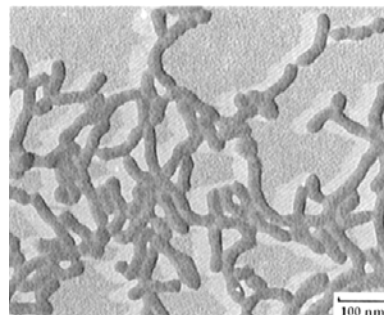
AC Diblock



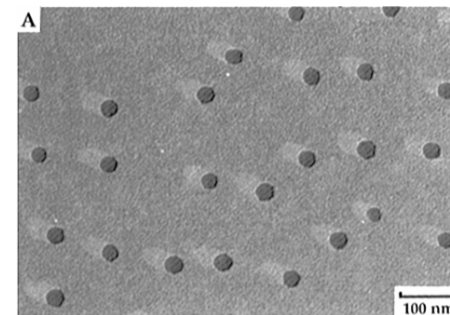
# Solution Morphologies of Amphiphilic Block Copolymers



**Vesicles**  
**( $f < 0.33$ )**



**Wormlike micelles**  
**( $0.33 < f < 0.55$ )**



**Spherical micelles**  
**( $f > 0.55$ )**

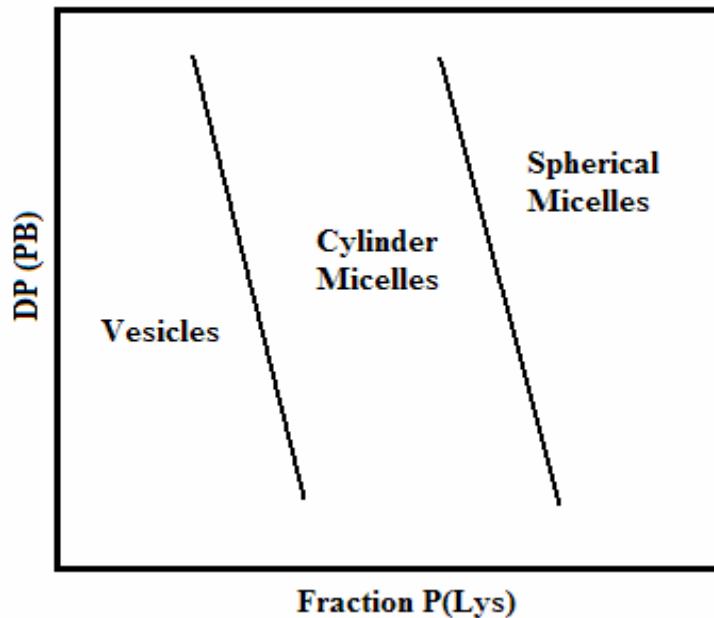
Increasing fraction of hydrophilic block →

\*TEM Images from Zhang and Eisenberg. *J. Am. Chem. Soc.* **1996**, 118, 3168.

\*\*PS PAA assemblies from 2% DMF solution

# Phase Behavior of Amphiphilic Block Copolymers

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Morphology dictated by:

(1) Core chain stretching

(2) Corona chain crowding

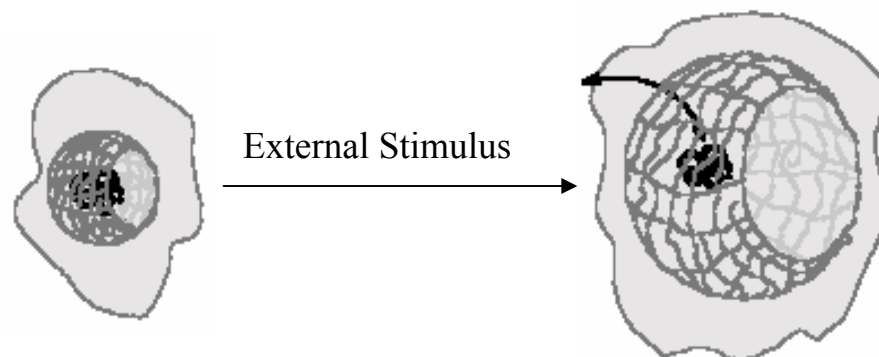
(3) Surface tension

- 'Phase diagram' of 1,4-PB-P(Lys)

# Stimuli Responsive Structures

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**Question:** By changing the pH or temperature of a solution, can we disrupt the balance between thermodynamic parameters to induce changes in aggregate structure?



From Checot, *et al.* *Angew. Chem. Int. Ed.* **2002**, 1340.

**Answer: YES!**

**3 things can happen:**

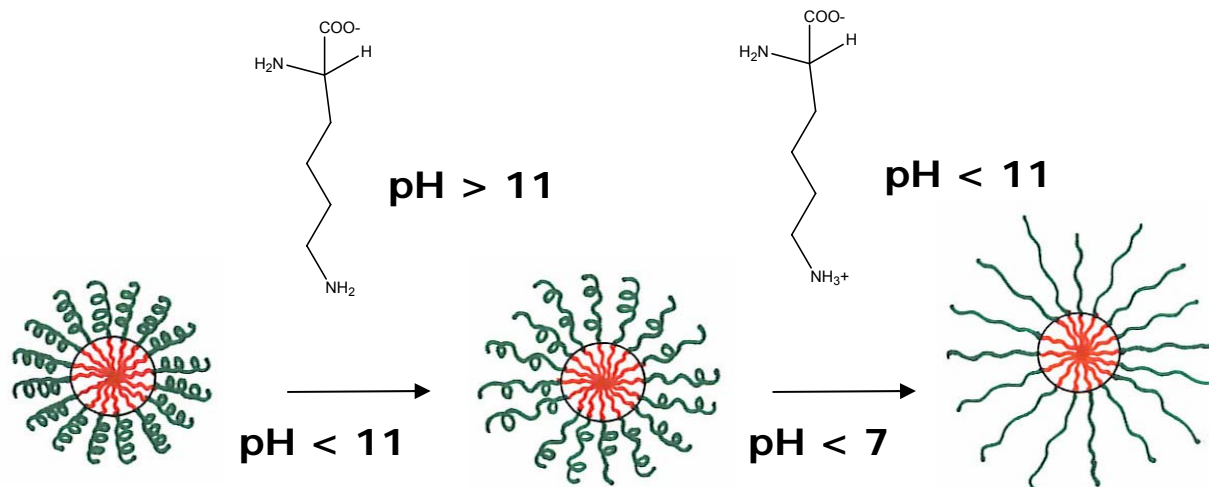
- (1) Aggregate swells – stretching of core and/or corona chains
- (2) Destruction – surface tension can no longer hold aggregate together
- (3) Morphology shifts – crowding leads to dramatic curvature shift... Maybe?

**Applications: Delivery, tunable viscosity, ‘smart’ materials**

# Current Directions

## Target Molecule: PB-P(Lys)

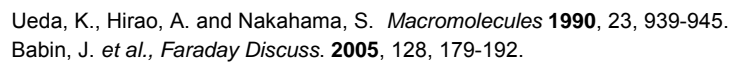
- At high pH, the side chains of poly(L-Lysine) are deprotonated and the polymer assumes an  $\alpha$ -helical or a  $\beta$ -sheet conformation.
- At physiological pH, the side chains are protonated, resulting in an expanded coil configuration.
- Expansion of the poly(L-Lysine)  $\alpha$ -helices results in swelling of the aggregate.



# Advantages Over 'Traditional' Polyelectrolytes (PEs)

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- Polypeptide-based block copolymers switch between rod-coil and coil-coil
- With PEs, modest change in solution dimensions from protonation/deprotonation
- With polypeptides, there is chain extension from both breaking the tight  $\alpha$ -helical structure as well as directionality of peptide bond – not a true random coil structure



## **\*\* Characterize with DLS, TEM**

# pH Response of Deprotected Samples

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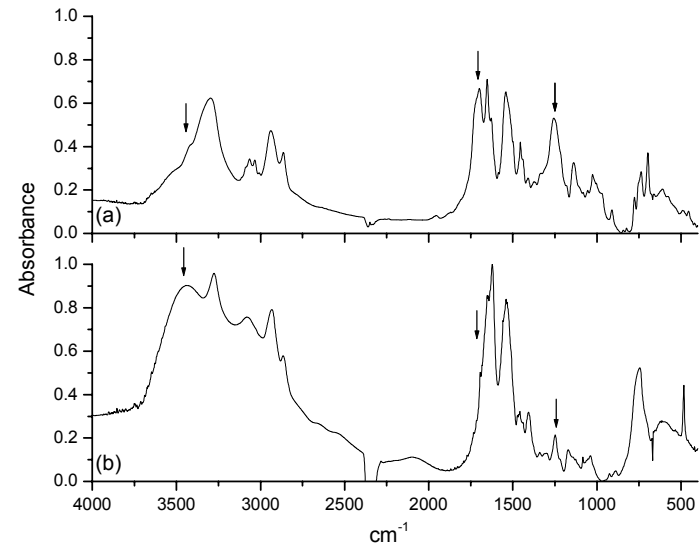
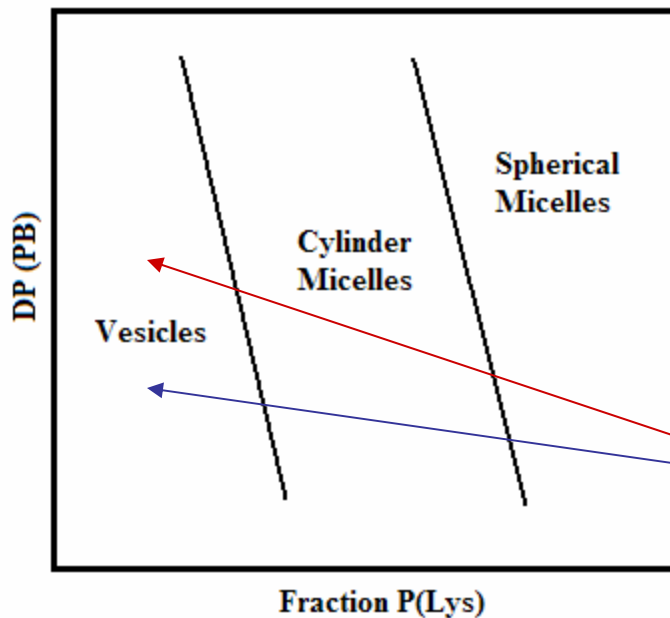
- Deprotection schemes:
  - HBr, catalytic hydrogenation
  - **HF cleavage**
- Efficient deprotection, leaving the unsaturation intact

# pH Response for Low P(Lys) Fractions

Compositions:

**PB<sub>107</sub>-P(Lys)<sub>27</sub>**

**PB<sub>60</sub>-P(Lys)<sub>13</sub>**

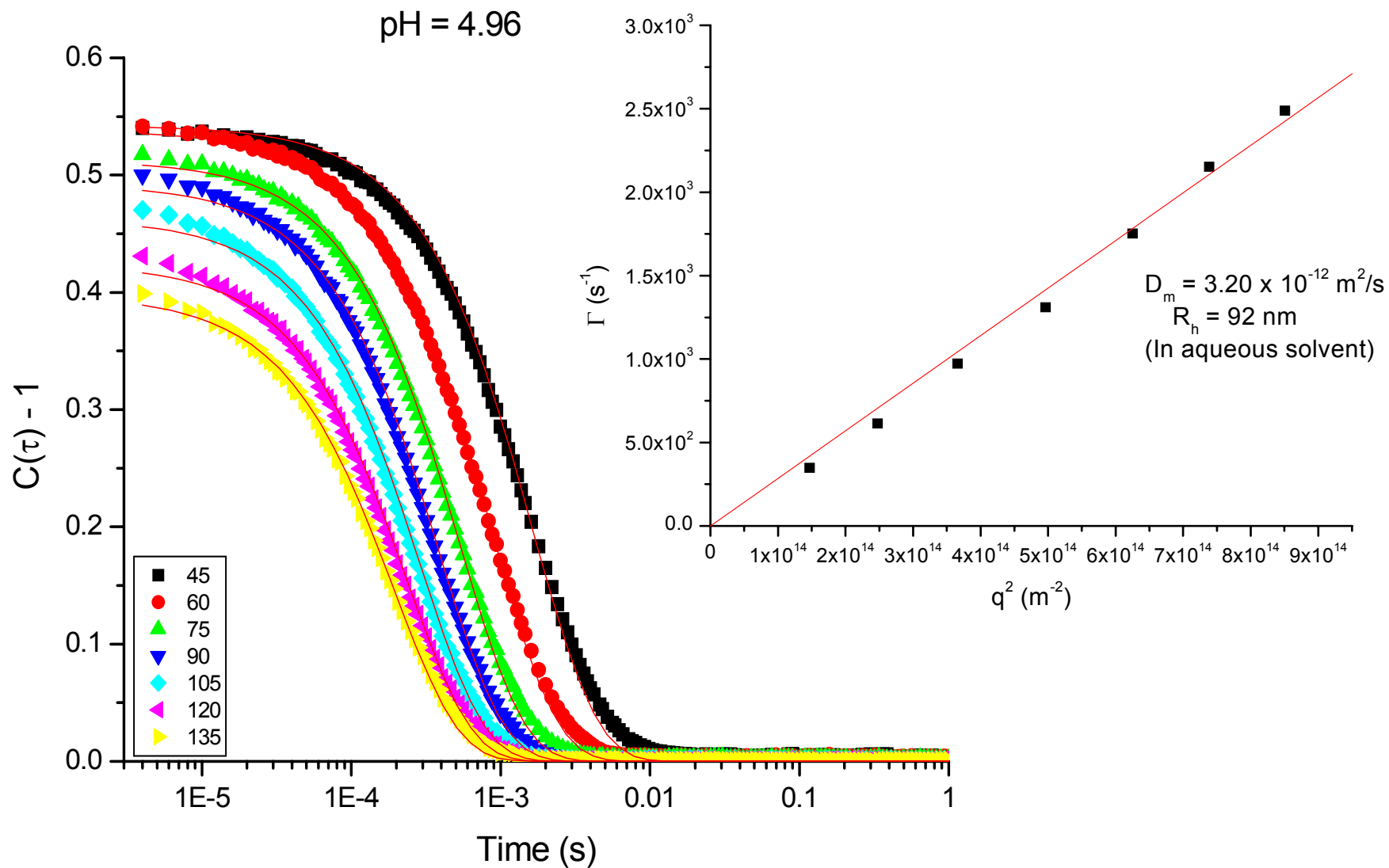


FTIR of protected (a) and deprotected (b) **PB<sub>107</sub>-P(Lys)<sub>27</sub>**

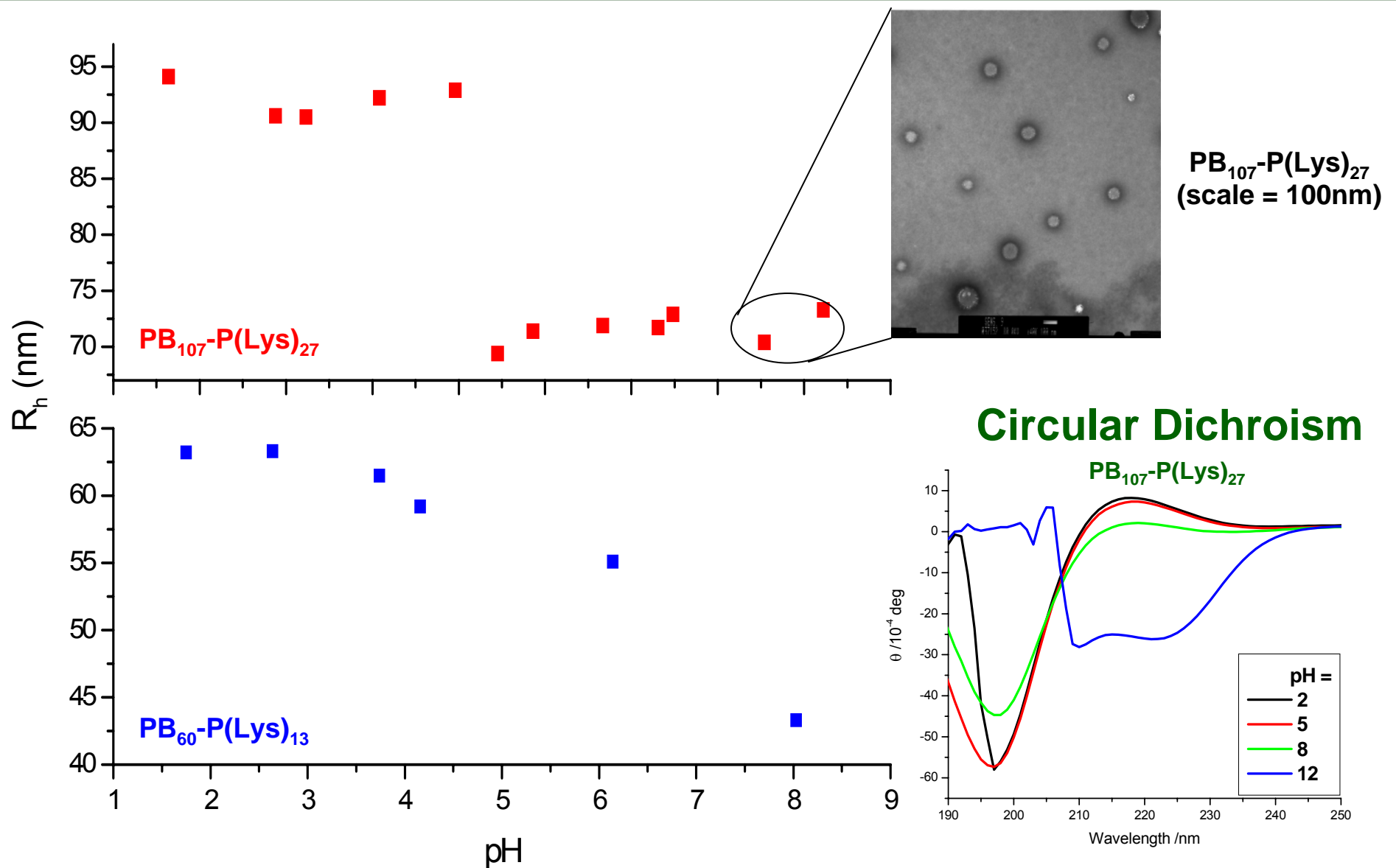
\* Expect bilayer morphology



# $D_m$ of $PB_{107}\text{-}P(\text{Lys})_{27}$

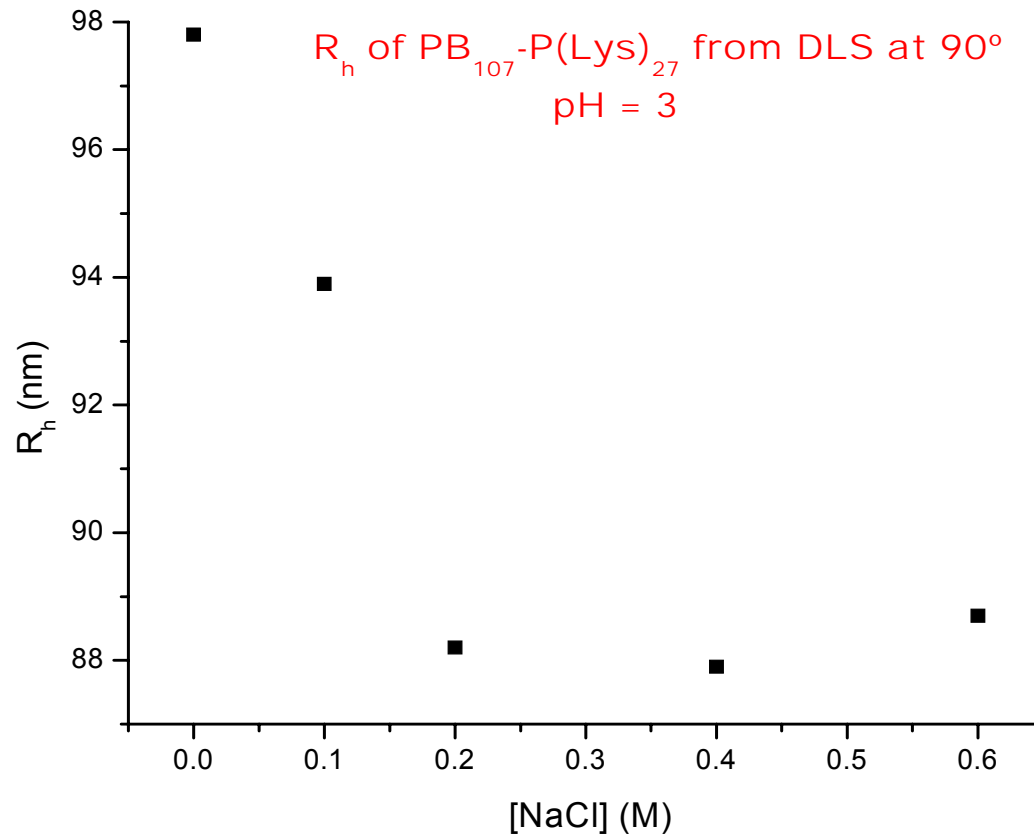


# pH Response of $PB_m-P(Lys)_n$ from DLS



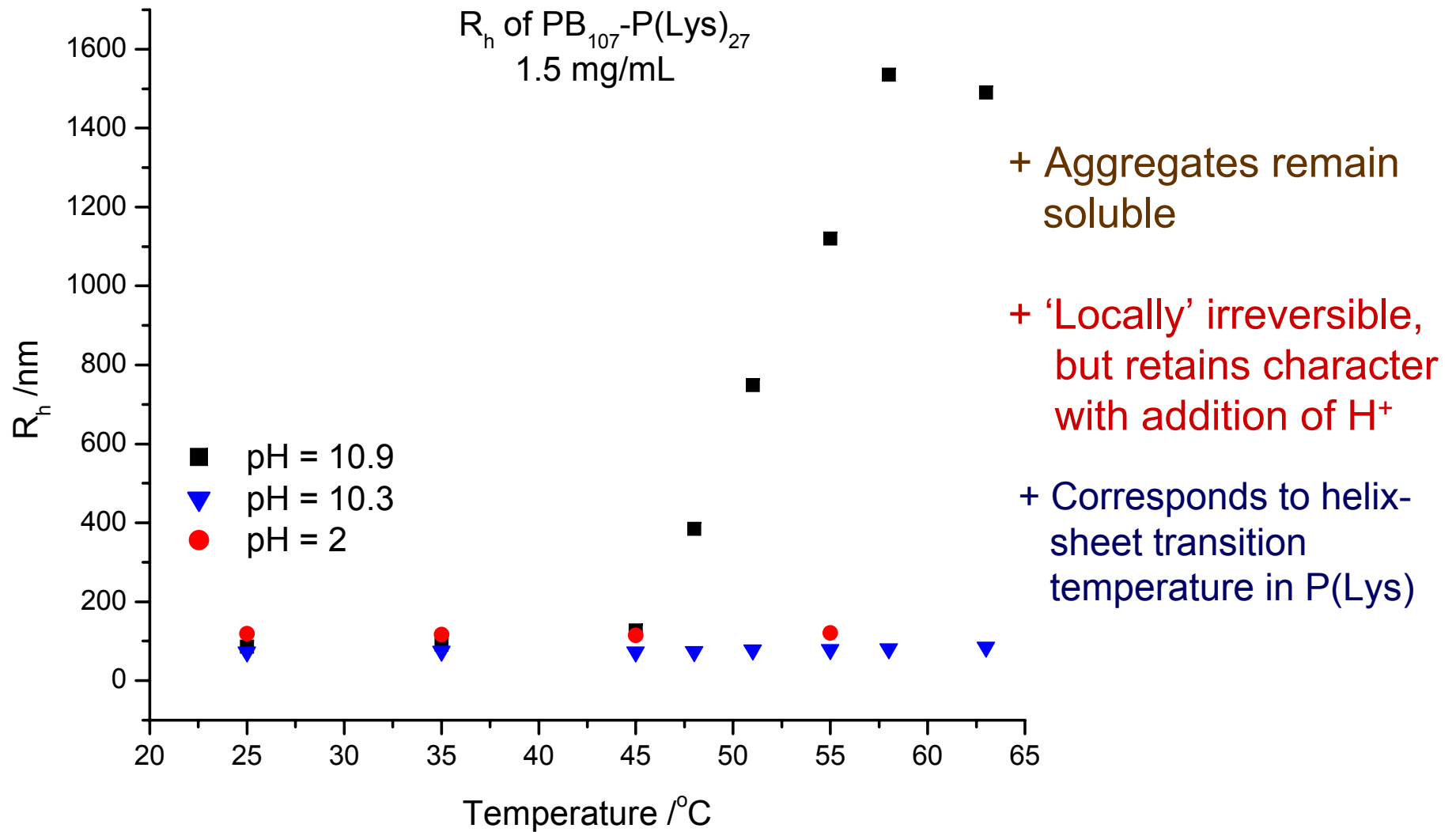
# Effect of Ionic Strength

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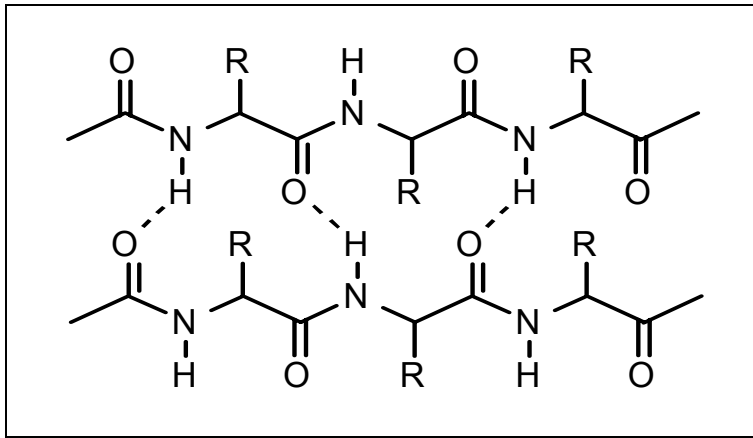


As [NaCl] increases, the size of the vesicles decreases as expected

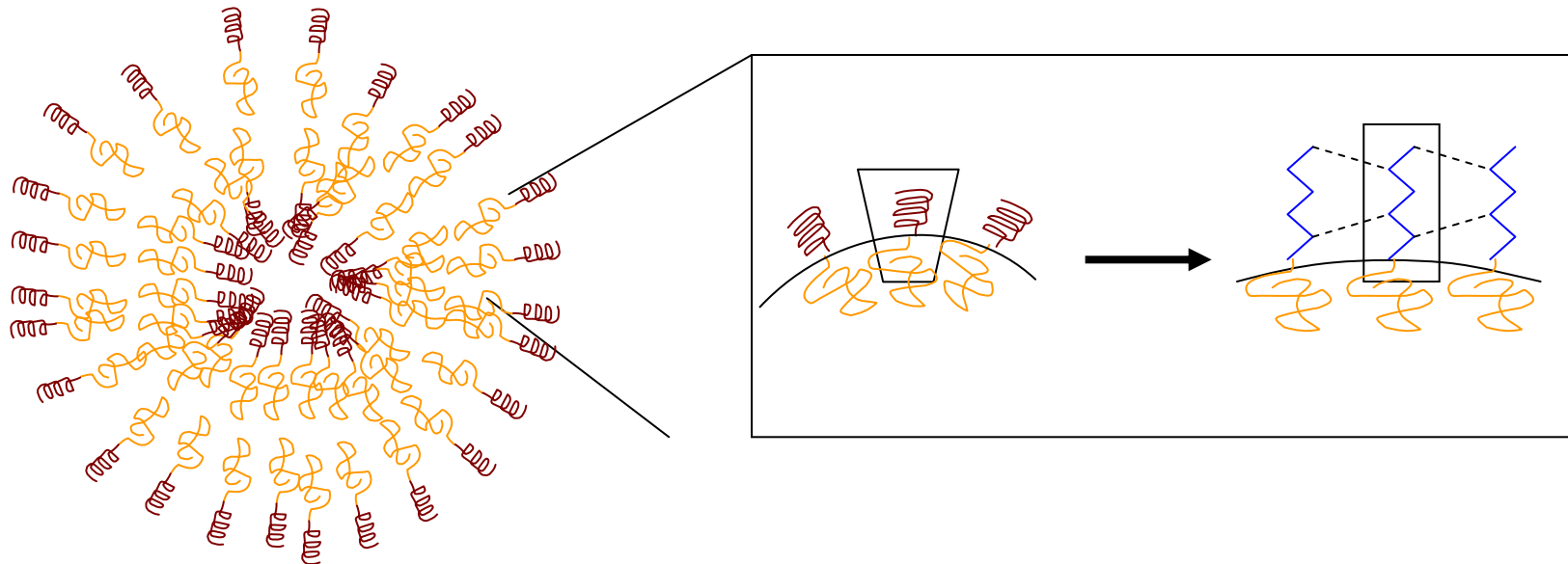
# Effect of Temperature



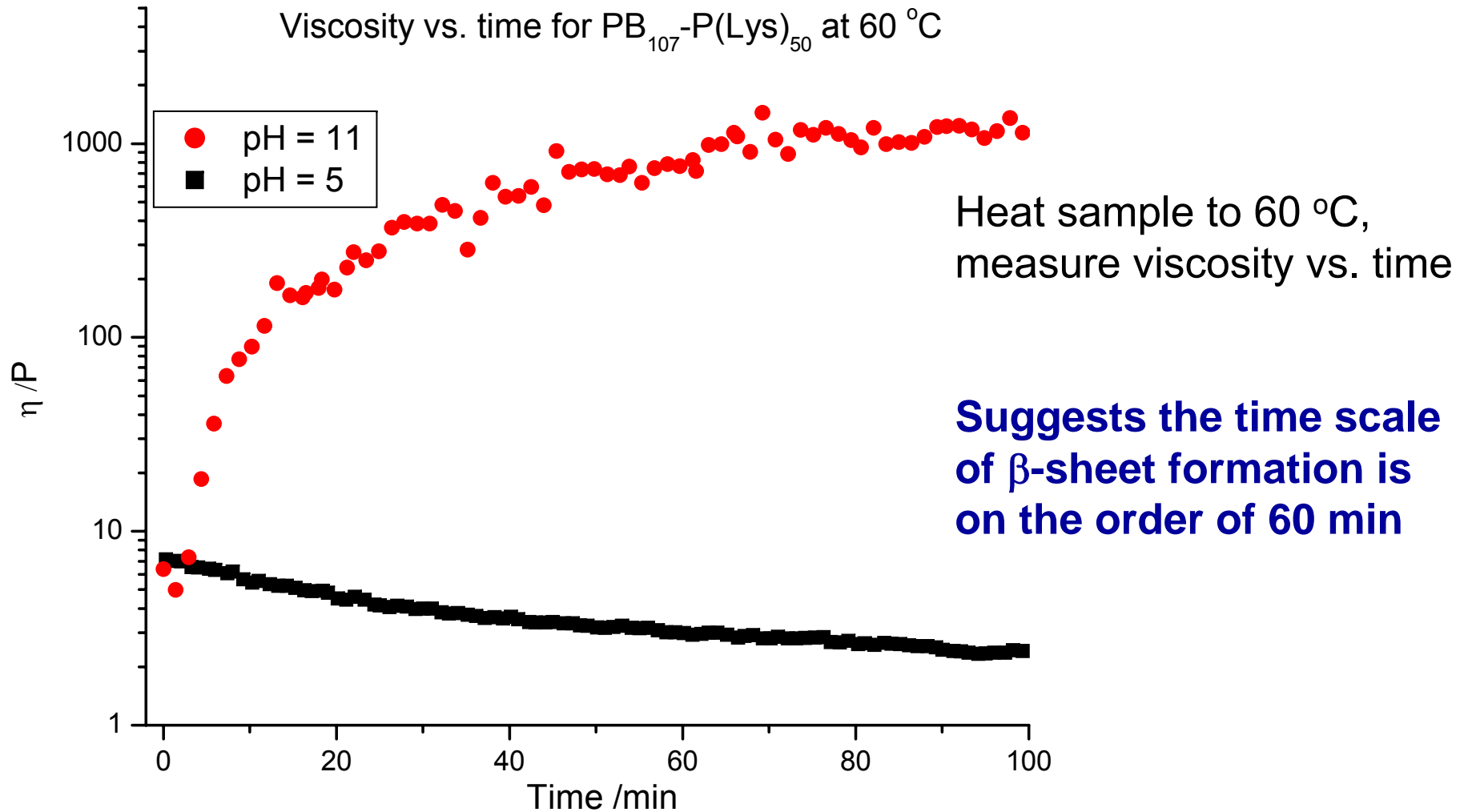
# Intermolecular $\beta$ -sheet Formation?



**Parallel  $\beta$ -sheet formation within corona chains would cause a flattening of the interfacial curvature**



# Viscosity Enhancement at High T



# pH Response for Low P(Lys) Fraction

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- pH response suggests vesicles are swelling at low pH.  
**This response is reversible.**
- CD confirms  $\alpha$ -helical secondary structure at high pH, random coil at low pH
- Increase in vesicle size  $\sim 35\%$
- A decrease in the Debye length results in a decrease in vesicle size at low pH
- PB<sub>60</sub>-P(Lys)<sub>13</sub> has limited solubility at high pH

# Temperature Response for Low P(Lys) Fraction

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- As the temperature is increased at high pH, the aggregates in solution exhibit a dramatic increase in size and corresponding increase in solution viscosity
- This is potentially due to interchain  $\beta$ -sheet formation, which flattens the interfacial curvature of the assembly
- This change occurs over a very narrow pH range
- The timescale of the change is on the order of 60 min
- 'Local' irreversibility implies that there is a local minimum in the free energy with the  $\beta$ -sheet



# pH Response for Higher Fraction of P(Lys)

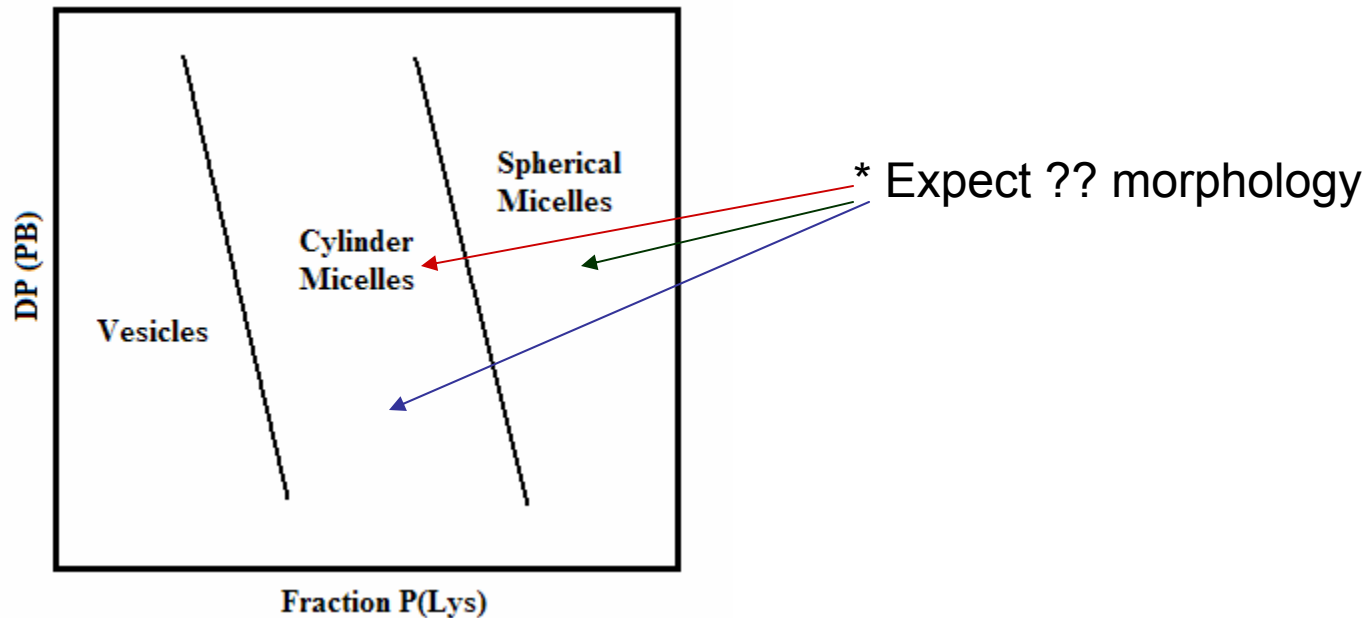
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Compositions:

**PB<sub>107</sub>-P(Lys)<sub>100</sub>**

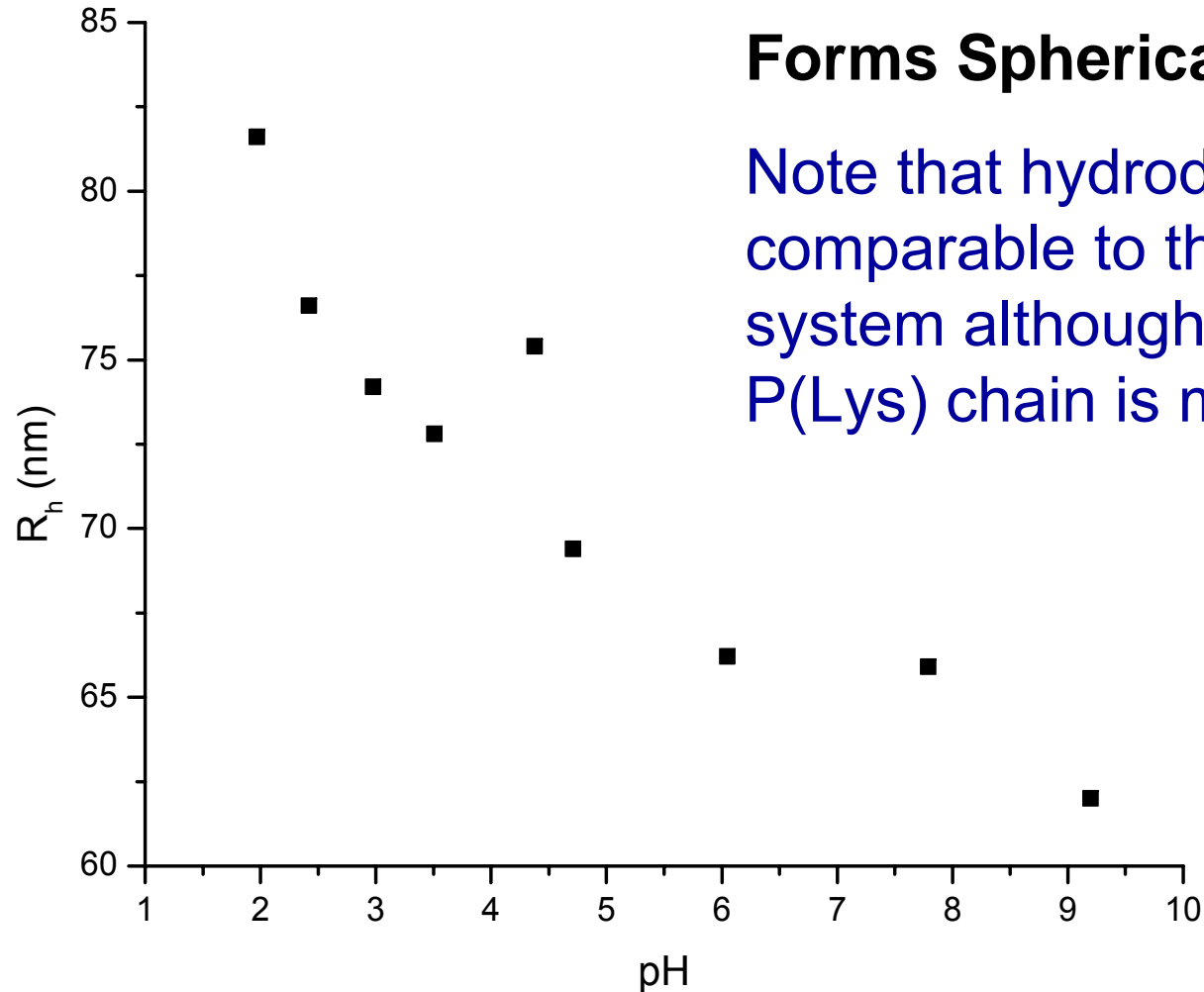
**PB<sub>107</sub>-P(Lys)<sub>200</sub>**

**PB<sub>60</sub>-P(Lys)<sub>50</sub>**



# pH Response of PB<sub>107</sub>-P(Lys)<sub>200</sub> from DLS

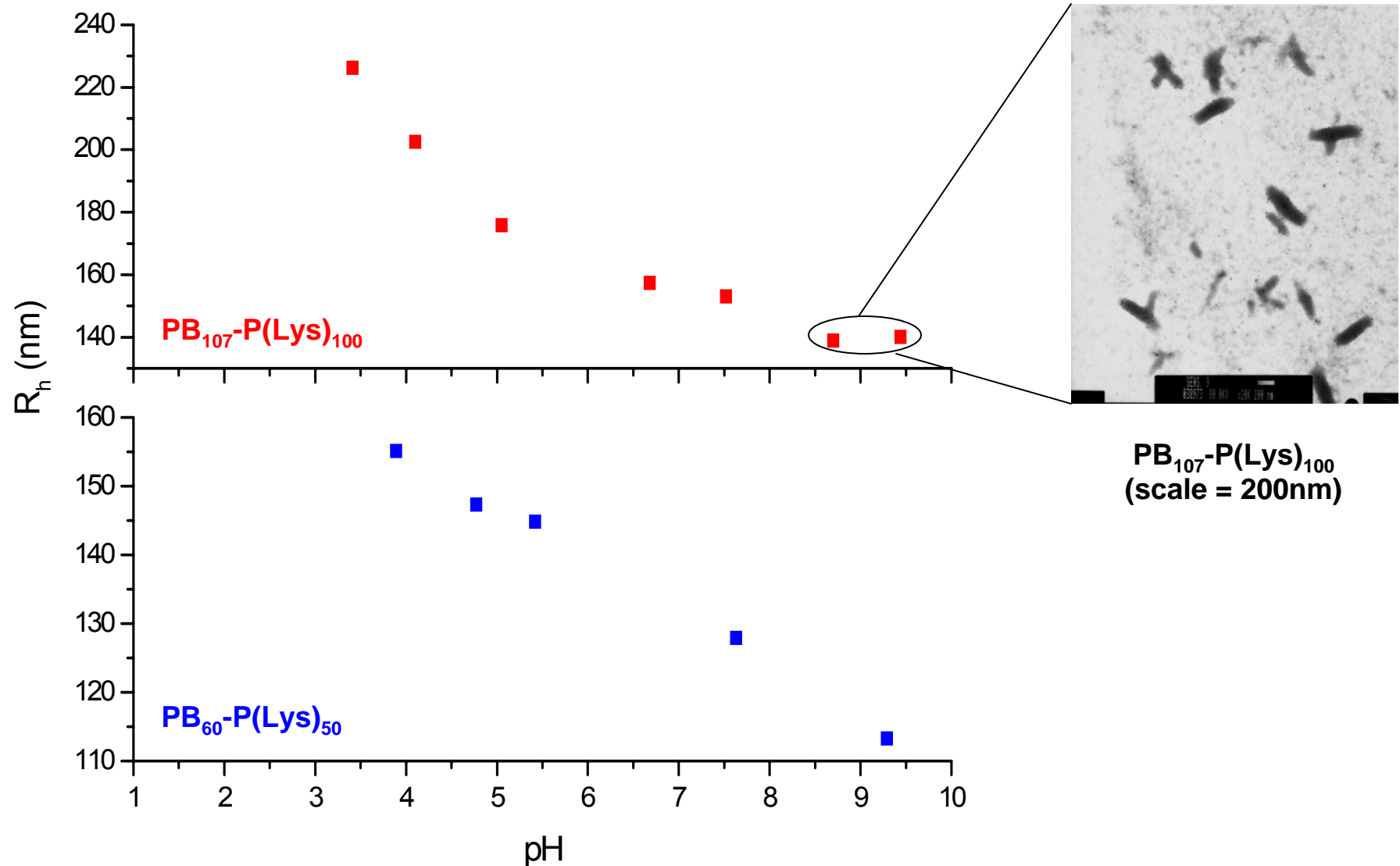
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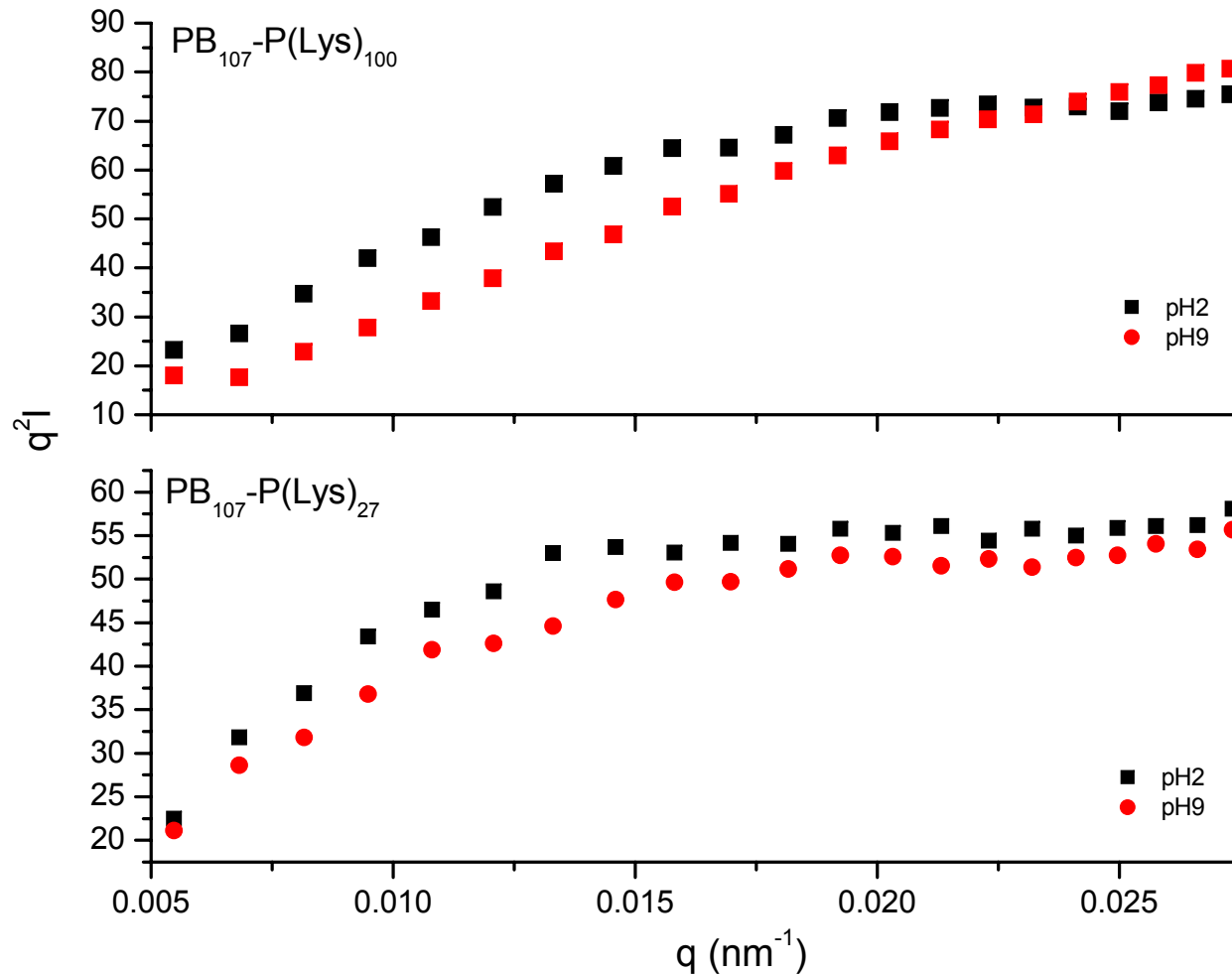
**Forms Spherical Micelles:**

Note that hydrodynamic size is comparable to the PB<sub>107</sub>-P(Lys)<sub>27</sub> system although the length of the P(Lys) chain is much longer

# pH Response of 'Symmetric' $PB_m-P(Lys)_n$ from DLS

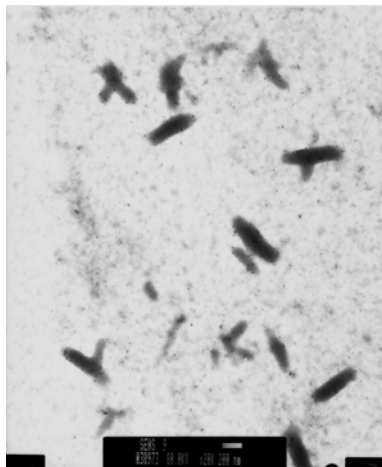
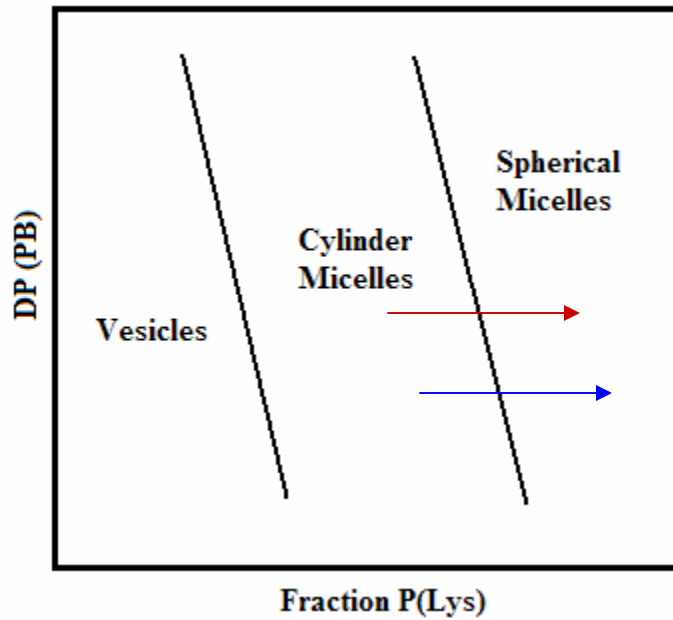


# Kratky Plots



Static light scattering suggests a change in the form factor with pH for the  $\text{PB}_{107}\text{-P(Lys)}_{100}$  sample, but not for the  $\text{PB}_{107}\text{-P(Lys)}_{27}$  sample

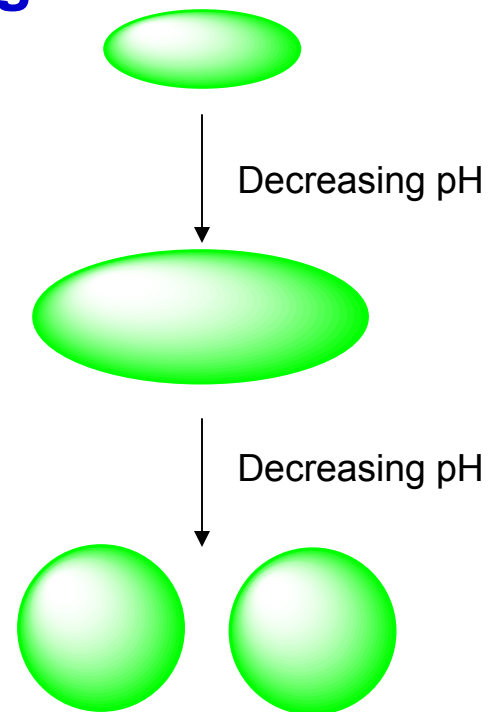
# Rice to Sphere Transition?



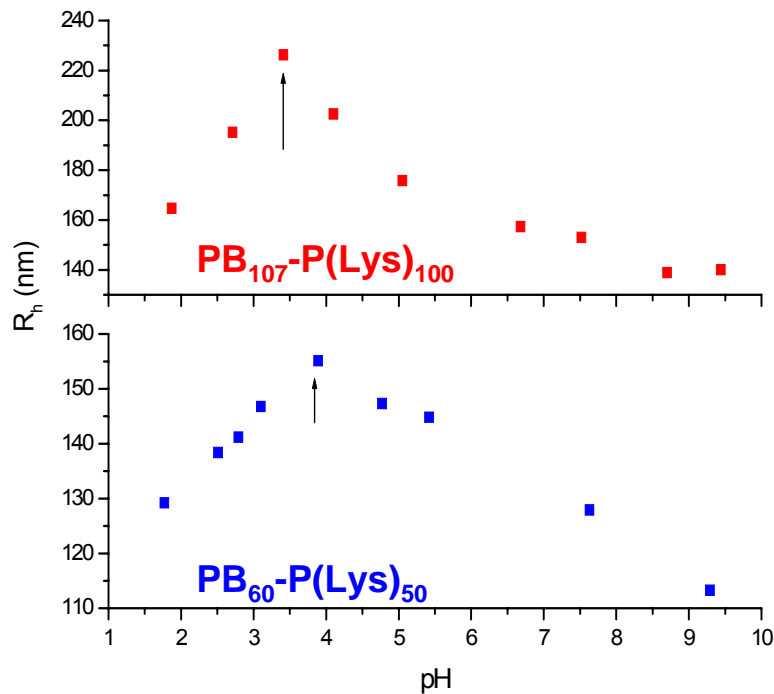
$PB_{107}-P(Lys)_{100}$   
(scale = 200nm)

Possible Mechanism:

**Budding**



# pH Response of 'Symmetric' Copolymers



- pH response suggests rod-like micelles are swelling as pH is reduced
- At low pH, the micelle size peaks, then drops off with decreasing pH
- This drop is proposed to be a result of a morphological shift from rice-shaped micelles to spherical micelles
- Position of the peak depends on P(Lys) block length
- This is consistent with that would happen if the effective fraction of the hydrophilic block were to increase

# Future Directions

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- **Dual pH response:**
  - **Acid and basic chains**
  - **Triblock copolymers**
- **New hydrophobic blocks**
- **Dual temperature-pH responsive materials**
- **Incorporation of corona crosslinking sites**
- **Biocompatibility**

# Summary

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- Light scattering is a powerful technique for characterization of polymeric materials in solution
- PB-P(Lys) block copolymers have been synthesized and show a rich diversity in morphology with varying composition
- Secondary structure changes within the P(Lys) corona chains induce response to solution conditions
- For PB-P(Lys), aggregate size and potentially morphology can change with solution pH and temperature

**Funding:**  
UVM Startup



**CD:** Prof. Bruce Armitage (CMU)